

PHILOSOPHY 120: SYMBOLIC LOGIC I

MID-TERM EXAMINATION

Fall 2005

Answers to Symbolizations

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Read over the test carefully, and make sure you copy the problems down correctly. You have 80 minutes. Good luck!

*SYMBOLIZATION* (20 points)

Symbolize the following English sentences using the scheme of abbreviation provided below. You do *not* need to show your work.

A: Libby  
B: Cheney  
F: is a criminal  
G: lied to the FBI  
H: lied to the Grand Jury  
J: is a White House staffer  
K: is immune from prosecution  
L: smeared political opponents

1. **If Libby lied to the FBI or to the Grand Jury and no White House staffer is immune from prosecution, then he is a criminal just in case Cheney is.**

**If Libby lied to the FBI or Libby lied to the Grand Jury and *for all x, if x is a White House staffer, then x is not immune from prosecution*, then Libby is a criminal just in case Cheney is a criminal**

**[ Libby lied to the FBI or Libby lied to the Grand Jury and *for all x, if x is a White House staffer, then x is not immune from prosecution* → Libby is a criminal just in case Cheney is a criminal ]**

**[ ( ( Libby lied to the FBI  $\vee$  Libby lied to the Grand Jury )  $\wedge$   $\wedge_x$  ( x is a White House staffer → x is not immune from prosecution ) ) → ( Libby is a criminal  $\leftrightarrow$  Cheney is a criminal ) ]**

**[ ( ( GA  $\vee$  HA )  $\wedge$   $\wedge_x$  ( Jx →  $\sim$  Kx ) ) → ( FA  $\leftrightarrow$  FB ) ]**

2. Any White House staffer who lied to the FBI only if he smeared political opponents is a criminal if he is not immune from prosecution.

For all x, IF x is a White House staffer AND x lied to the FBI only if x smeared political opponents, THEN x is a criminal if x is not immune from prosecution.

$\bigwedge x [ ( x \text{ is a White House staffer} \wedge ( x \text{ lied to the FBI} \rightarrow x \text{ smeared political opponents} ) ) \rightarrow ( x \text{ is not immune from prosecution} \rightarrow x \text{ is a criminal} ) ]$

$\bigwedge x [ ( Jx \wedge ( Gx \rightarrow Lx ) ) \rightarrow ( \sim Kx \rightarrow Fx ) ]$